Addenda and Corrigenda to Chapter 8, Local Operator Theory, Random Matrices and Banach Spaces by K. R. Davidson and S. J. Szarek

1. P. 346, the Added in proof section:

(i) The paper [1a], which is a revised version of [105], has been circulated in the meantime; it contains additionally some concentration results for not-necessarily-extreme eigenvalues.

(ii) More precise (but still presumably far from optimal) results in the same direction as [1a] were obtained in [7a].

2. P. 346, inequality (4): a factor 1/L in the middle expression is missing. It should read

$$\mathcal{P}\left(F \ge M + t\right) \le 1 - \Phi(t/L) < \exp\left(-t^2/2L^2\right)$$

3. P. 349, Theorem 2.8: more quantitative results (i.e., estimates valid for any dimension rather than in the limit) were obtained in [2a] and [6a]. In particular, some of the results of [6a] do not require that the distribution of the entries be Gaussian.

4. P. 352, inequality (11): a factor \sqrt{n} in the middle expression is missing. It should read

 $\mathcal{P}\left(F \ge 2 + \sigma t\right) < 1 - \Phi(t\sqrt{n}) < \exp\left(-nt^2/2\right),$

5. P. 353, Theorem 2.13: a factor \sqrt{n} in the middle expression in the second displayed formula is missing. It should read

$$\max \left\{ \mathcal{P}(s_1(\Gamma) \ge 1 + \sqrt{\beta} + t), \ \mathcal{P}(s_m(\Gamma) \le 1 - \sqrt{\beta} - t) \right\} < 1 - \Phi(t\sqrt{n}) < \exp(-nt^2/2)$$

6. P. 354, Problem 2.14: the existence of the limit was proved in [3a].

7. P. 357, Problem 2.18: solved in the affirmative in [4a].

8. The book [5a], and particularly its section 8.5, overlaps and complements the material presented in Section 2 of the Chapter.

New references

[1a] N. Alon, M. Krivelevich and V. H. Vu, On the concentration of eigenvalues of random symmetric matrices, Israel J. Math., to appear.

[2a] G. Aubrun, A small deviation inequality for the largest eigenvalue of a random matrix, preprint 2002.

[3a] F. Guerra and F. L. Toninelli, *The Thermodynamic Limit in Mean Field Spin Glass Models*, Commun. Math. Phys. **230** (2002) 1, 71-79.

[4a] U. Haagerup and S. Thorbjornsen, A new application of random matrices: Ext $(C_r^*(F_2))$ is not a group, private communication.

[5a] M. Ledoux, *The concentration of measure phenomenon*, Mathematical Surveys and Monographs **89**, Amer. Math. Soc., Providence, RI, 2001.

[6a] M. Ledoux, A remark on hypercontractivity and tail estimates for the largest eigenvalues of random matrices, preprint 2002.

[7a] M. Meckes, *Concentration of norms and eigenvalues of random matrices*, preprint 2002.